

Extra-P:

Insightful Automatic Performance Modeling



TECHNISCHE
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DARMSTADT



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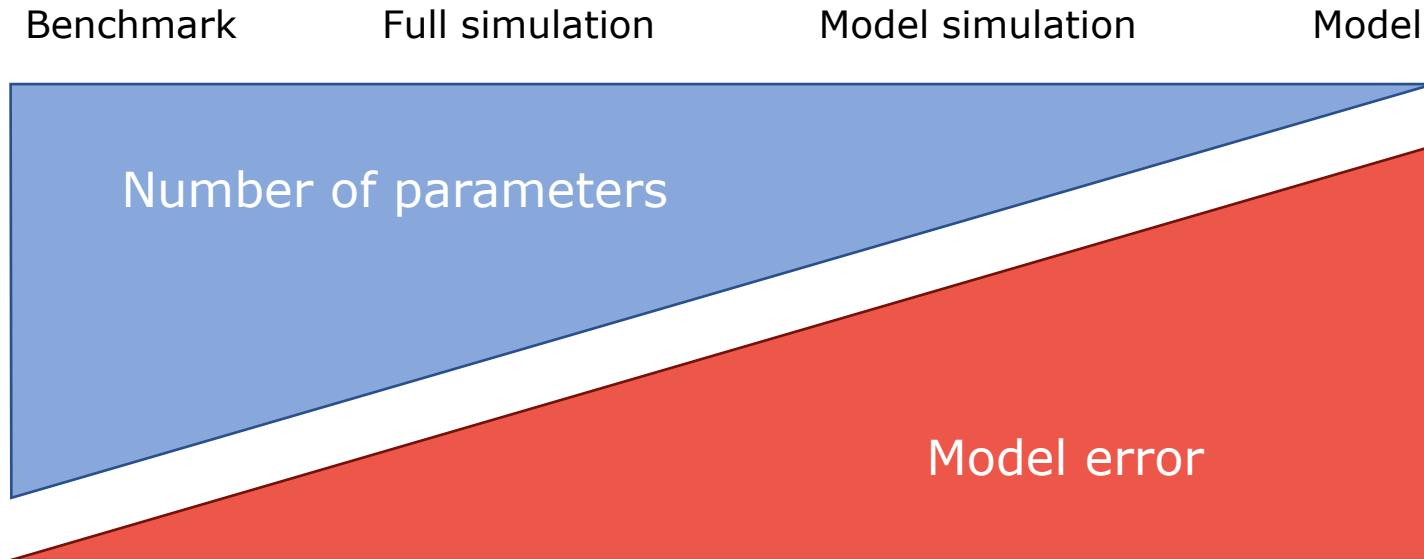
Lawrence Livermore
National Laboratory



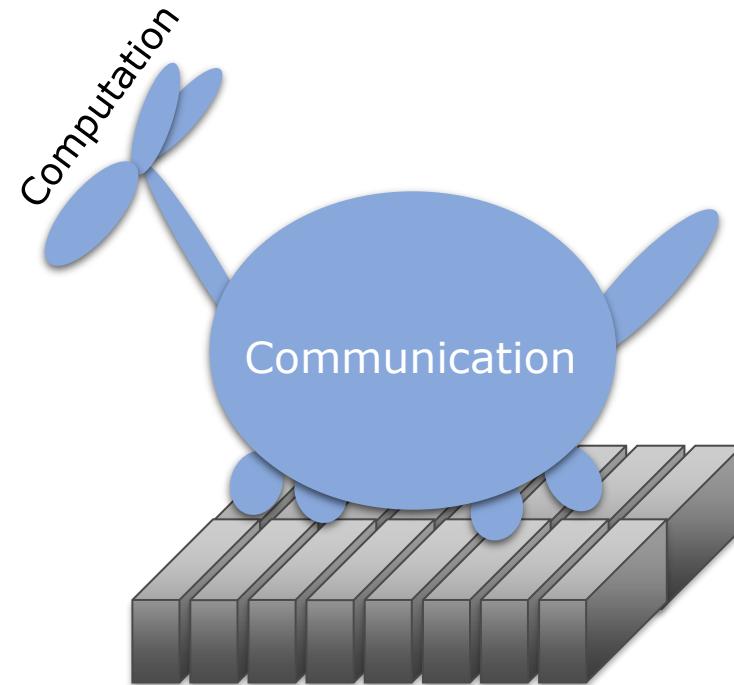
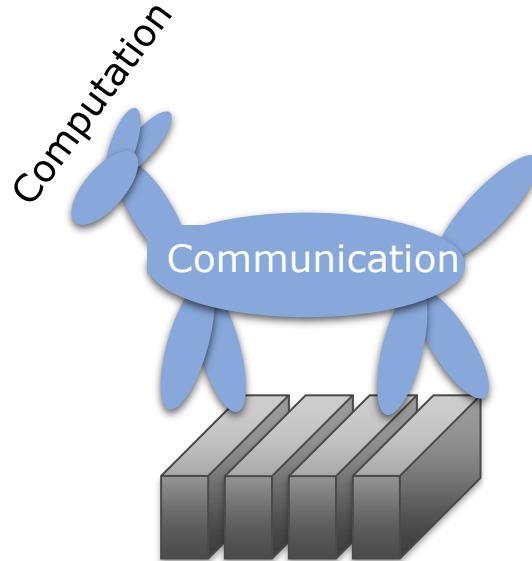
Technische Universität München

¹ TU Darmstadt , ² ETH Zürich , ³ TU München

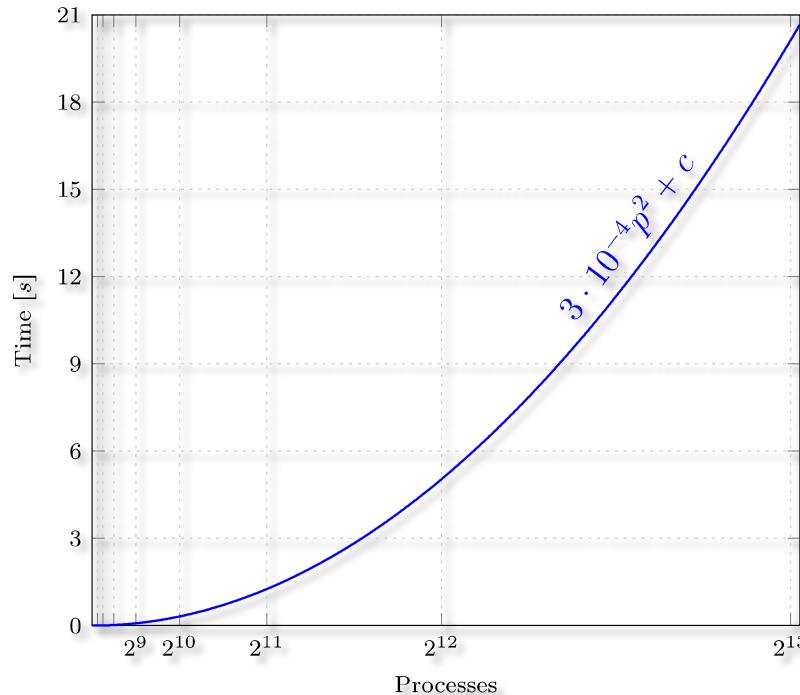
Spectrum of performance analysis methods



Motivation - latent scalability bugs



Scaling model



- Represents performance metric as a function of the number of processes
- Provides insight into the program behavior at scale

Analytical performance modeling



- Parts of the program that dominate its performance at larger scales
- Identified via small-scale tests and intuition

- Laborious process
- Still confined to a small community of skilled experts

Disadvantages:

- Time consuming
- Danger of overlooking unscalable code

Hoisie et al.: *Performance and scalability analysis of teraflop-scale parallel architectures using multi-dimensional waveform applications*. International Journal of High Performance Computing Applications, 2000

Bauer et al.: *Analysis of the MILC Lattice QCD Application su3_rmd*. CCGrid, 2012

Automatic performance modeling

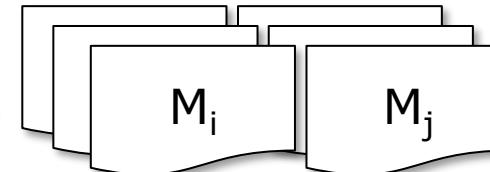
```
main() {  
    foo()  
    bar()  
    compute()  
}
```

Input

Output

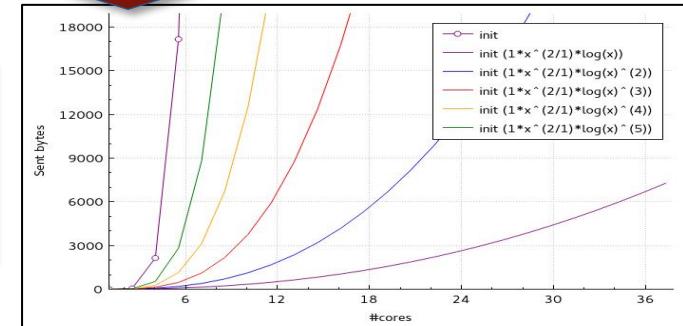
Instrumentation
• All functions

Performance measurements

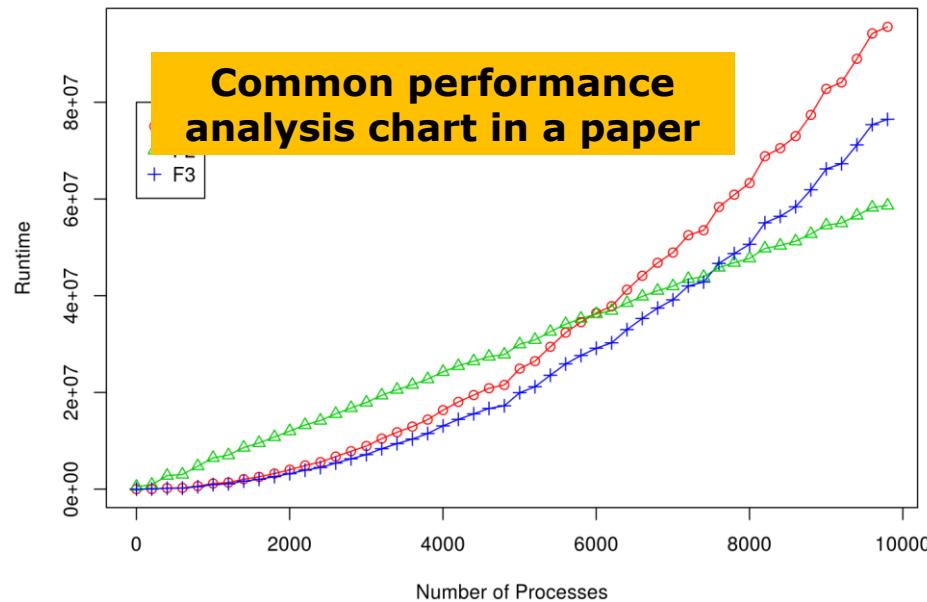


Extra-P

Human-readable
performance models
of all functions
(e.g., $t = c_1 \log(p) + c_2$)



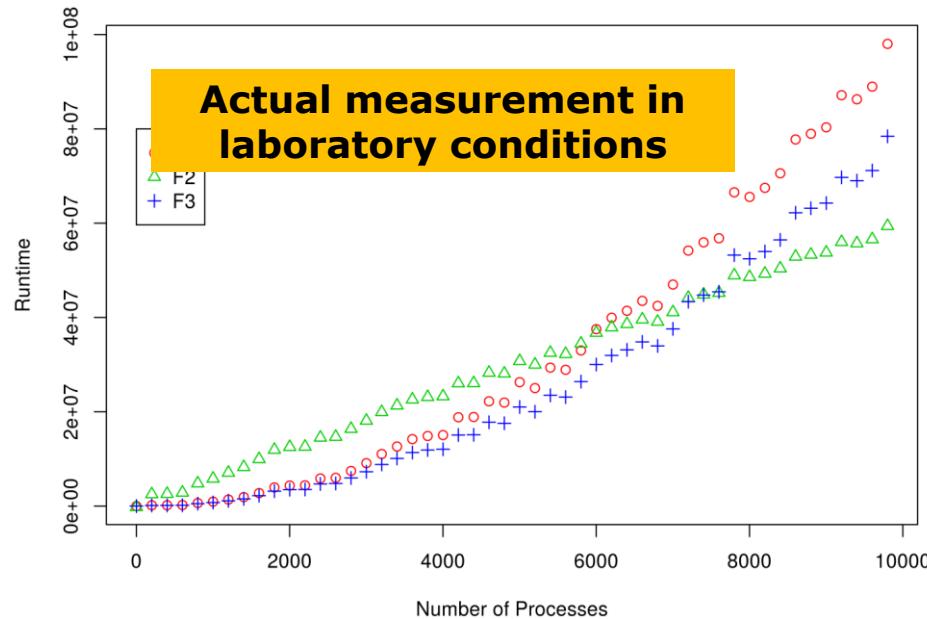
Primary focus on scaling trend



Ranking

1. F_2
2. F_1
3. F_3

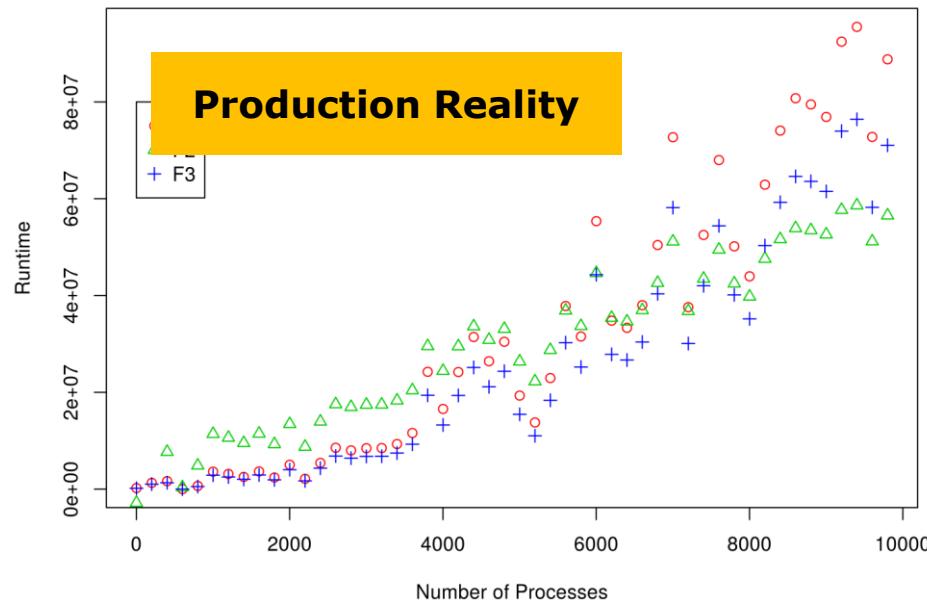
Primary focus on scaling trend



Ranking

1. F_2
2. F_1
3. F_3

Primary focus on scaling trend

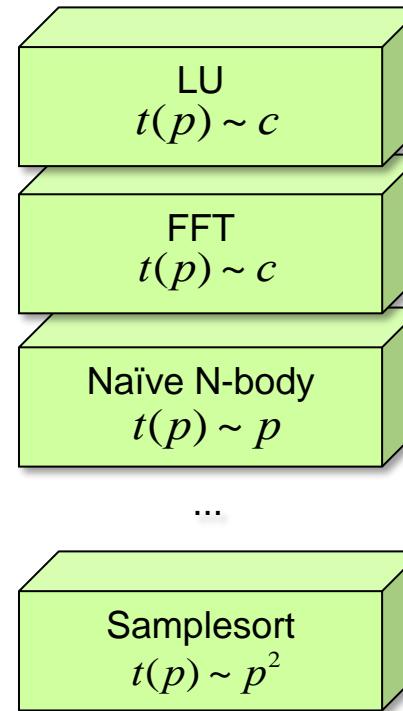
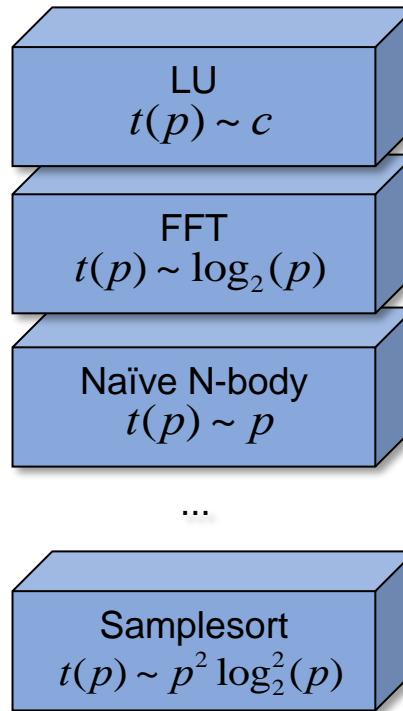


Ranking

1. F_2
2. F_1
3. F_3

Model building blocks

Computation



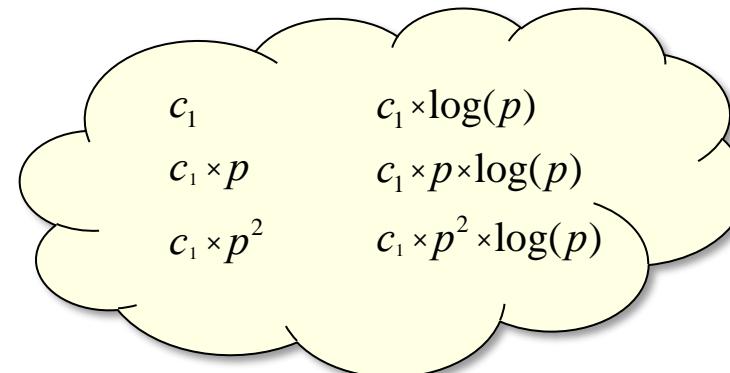
Communication

Performance model normal form

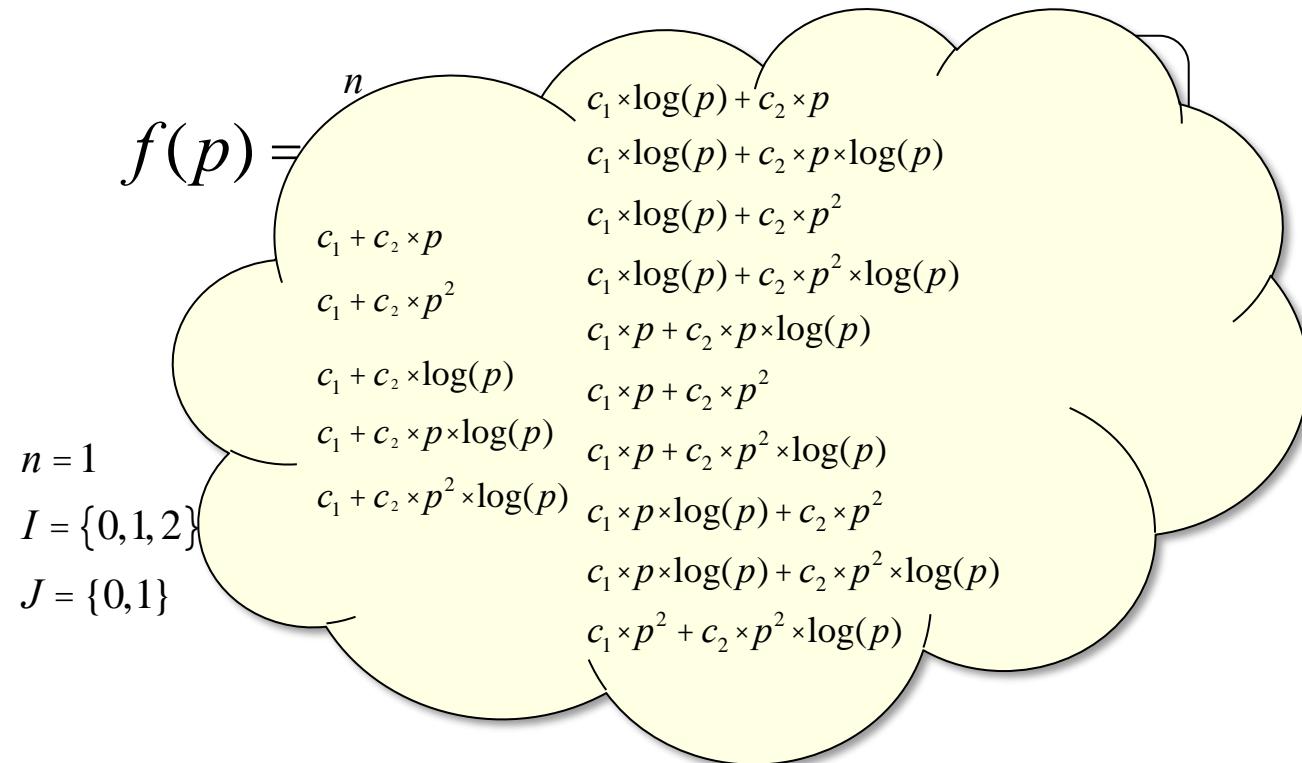
$$f(p) = \prod_{k=1}^n c_k \times p^{i_k} \times \log_2^{j_k}(p)$$

$$\begin{array}{ll} n \models \mathbb{N} \\ i_k \models I \\ j_k \models J \\ I, J \models \mathbb{Q} \end{array}$$

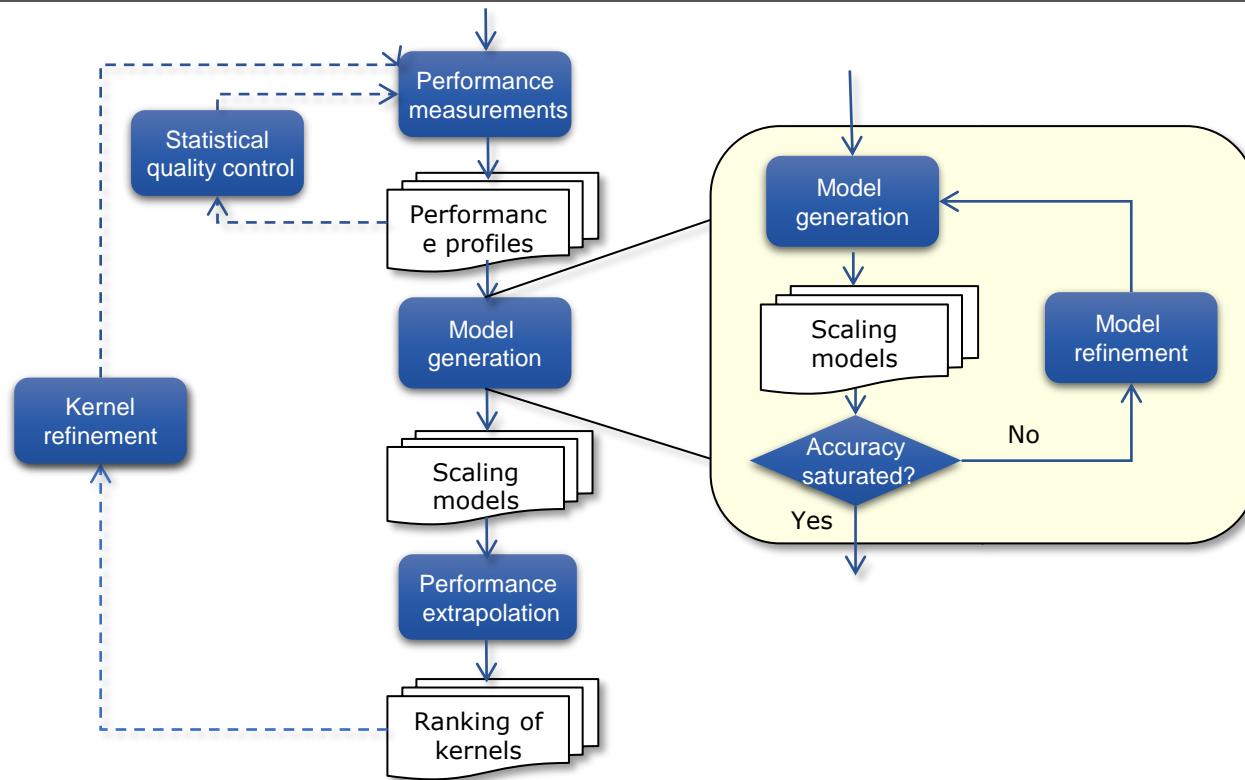
$$\begin{aligned} n &= 1 \\ I &= \{0, 1, 2\} \\ J &= \{0, 1\} \end{aligned}$$



Performance model normal form

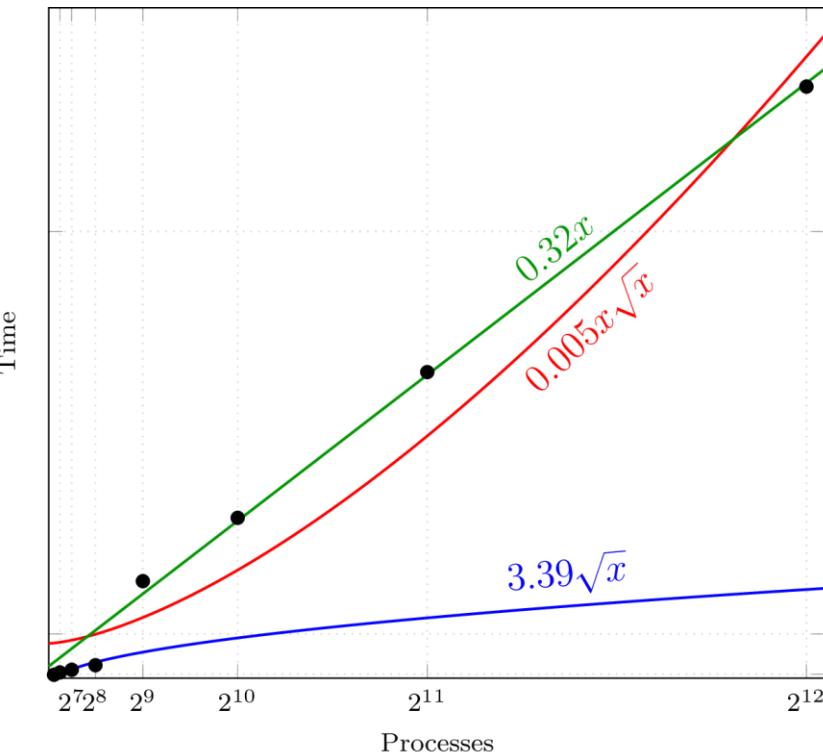


Workflow



Assumptions & limitations

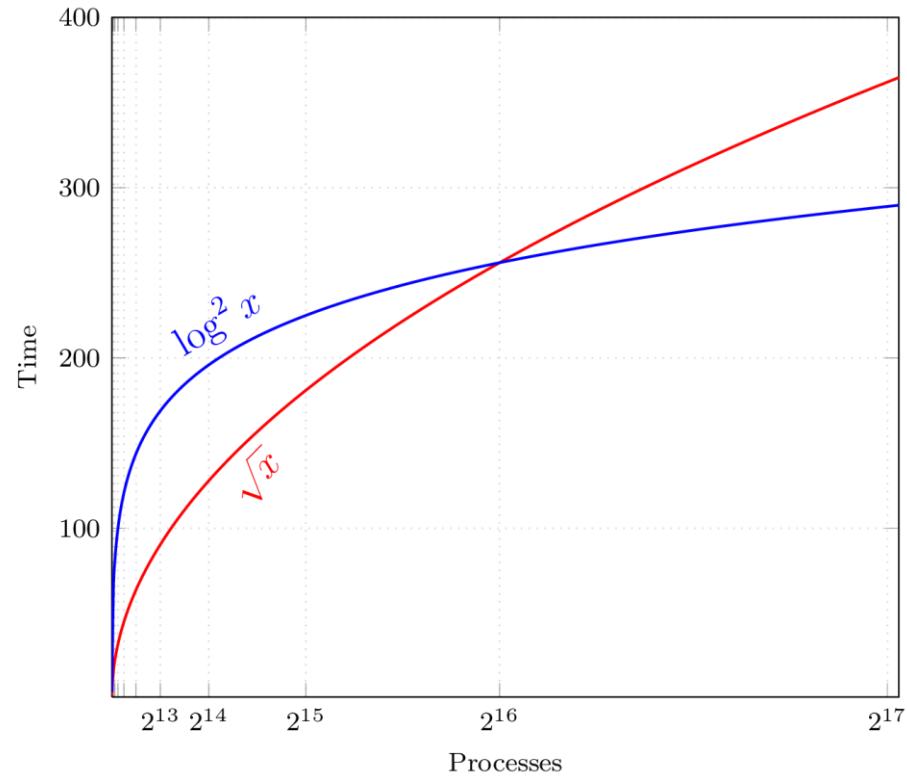
- Only one scaling behavior for all the measurements; no jumps
- Some MPI collective operations switch their algorithm – results in bad models
- Example: **red model** tries to model measurements of different algorithms
 - First 4 points – one function
 - Last 4 points – another function (linear)
 - Adj. R² = 0.95085 (!)



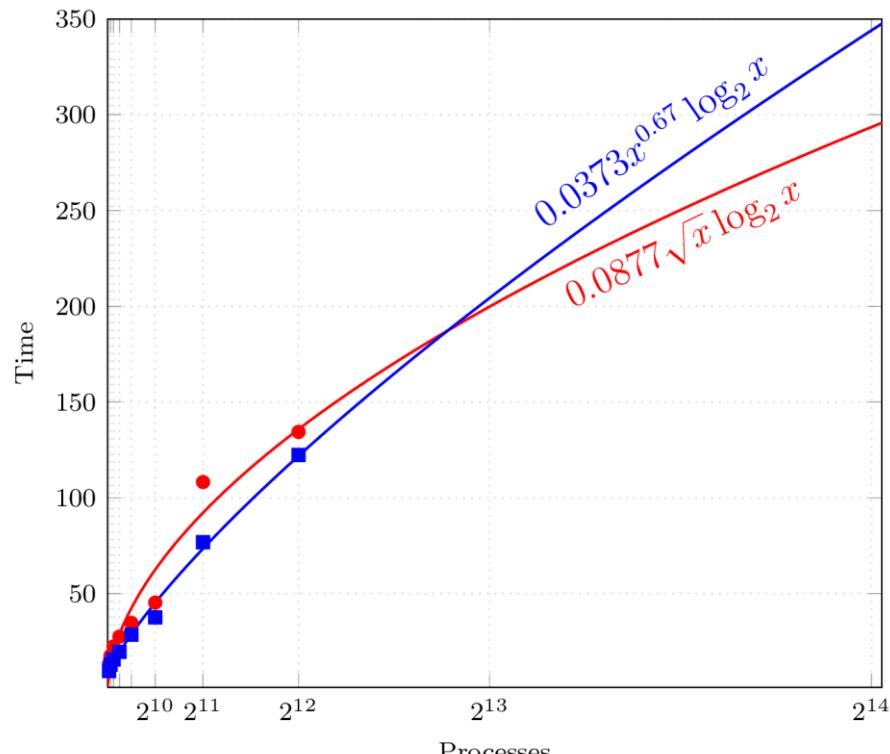
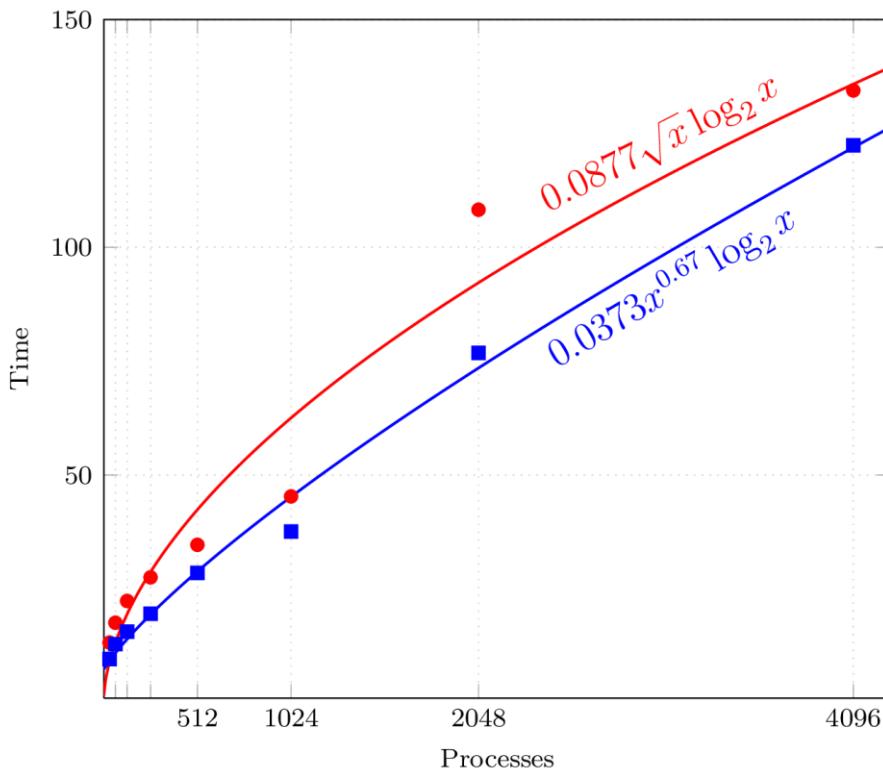
Changing growth trends

- Ranking according to growth rate difficult:

$$\log^2(p) ? \sqrt{p}$$



Changing growth trends (2)



Ranking of kernels

- Kernels are ranked according the leading-order terms in the models
- Leading-order term → big-O notation
- For example: $O(x)$ comes before $O(x^2)$

Performance measurements

- Different ways of collecting measurements
- Score-P (<http://www.vi-hps.org/projects/score-p/>)
- Other profiling tools, e.g. HPCToolkit
- Manual ad-hoc measurements

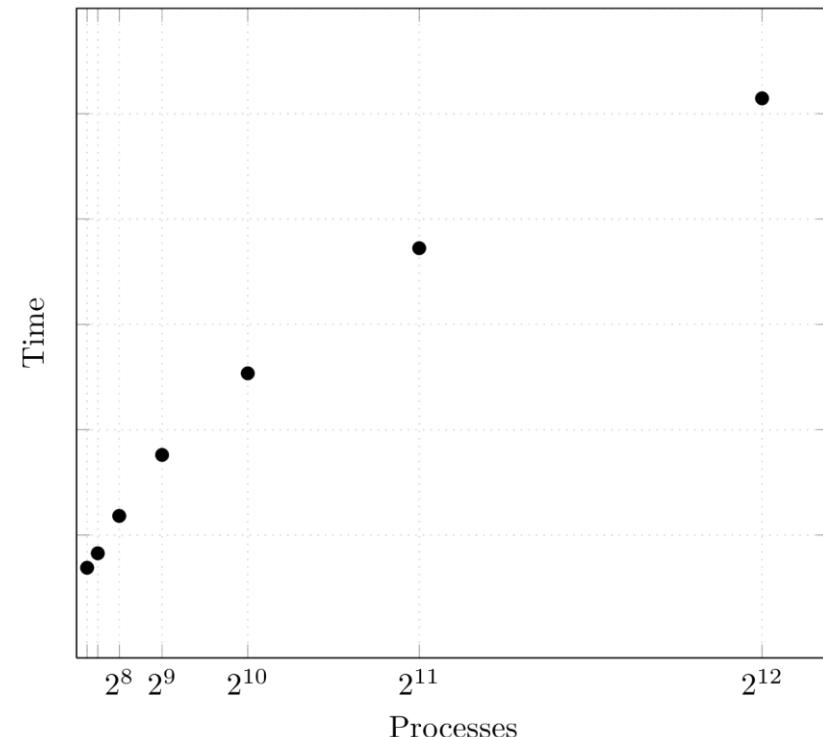


Performance measurements (2)

- At least 5 different measurements required

Performance measurements (profiles)

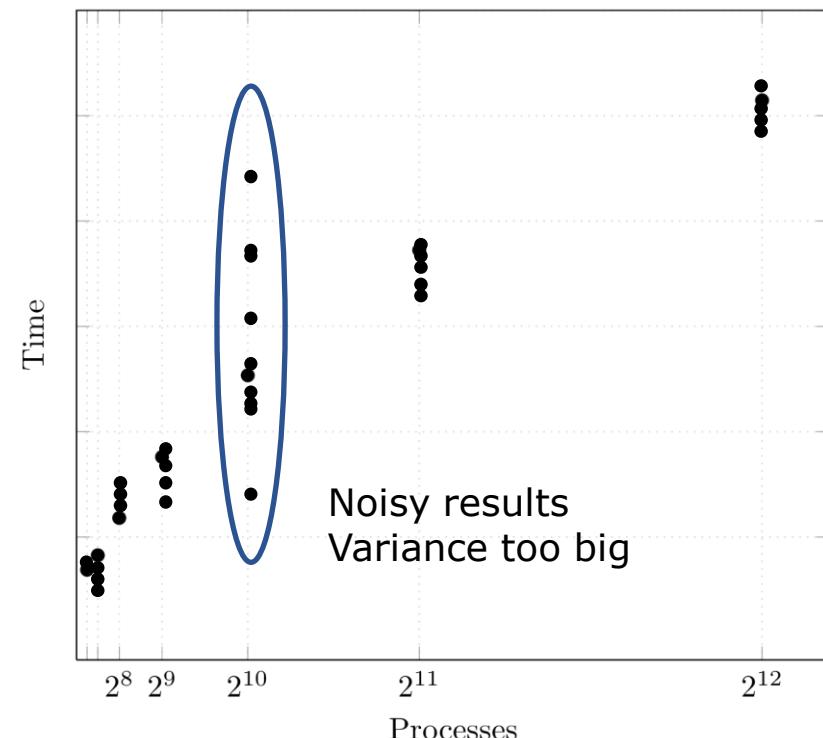
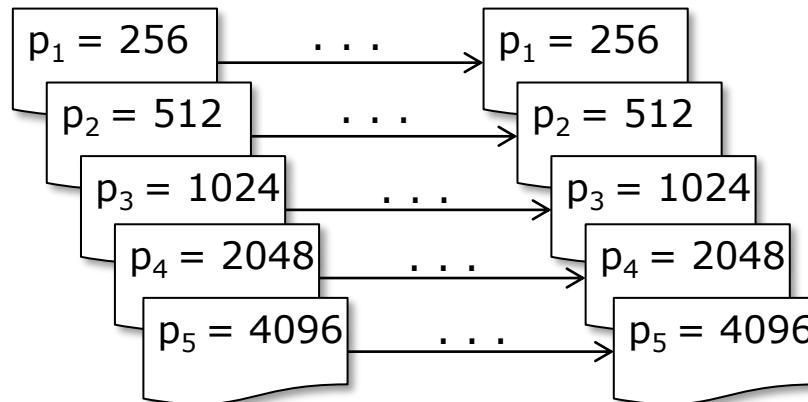
$p_1 = 256$
 $p_2 = 512$
 $p_3 = 1024$
 $p_4 = 2048$
 $p_5 = 4096$



Performance measurements (3)

- At least 5 different measurements required
- Each measurement repeated multiple times

Performance measurements (profiles)

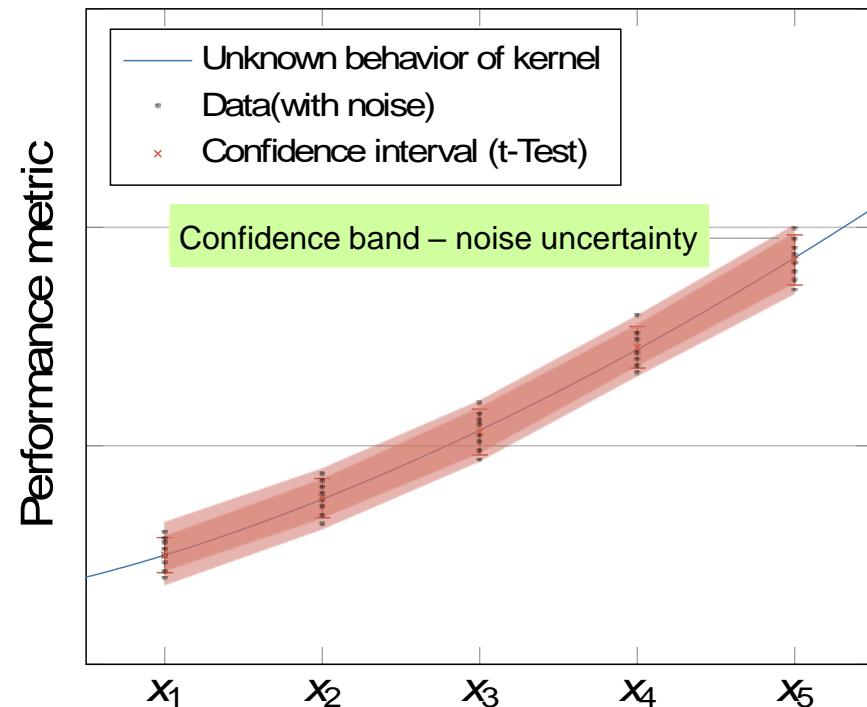


Statistical quality control

- If the confidence interval is too wide, the fit will not be optimal, or overfitting might occur

$$CI = f(\text{mean}, \text{stddev})$$

- To improve CI - increase repetitions, include different configurations



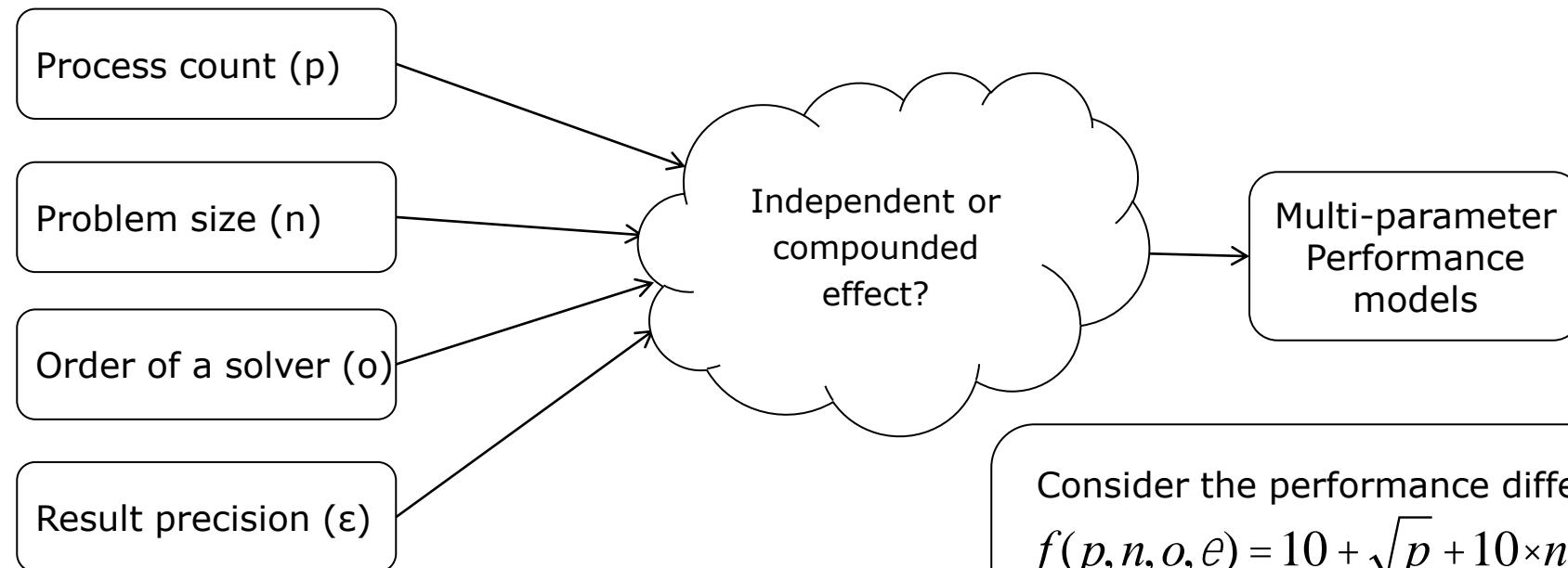
Adjusted R²

- R² represents how well the determined function fits the M available measurements
- Adjusted R² adjusts for N, the number of terms used
 - Adj. R² decreases → more useless variables
 - Adj. R² increases → more useful variables
- Rule of thumb: adj. R² > 0.95

$$R^2 = 1 - \frac{\text{residualSumSquares}}{\text{totalSumSquares}}$$

$$\overline{R}^2 = 1 - (1 - R^2) \times \frac{M - 1}{M - N - 2}$$

Extra-P 3.0: Fast multi-parameter performance modeling



Consider the performance difference:

$$f(p, n, o, \epsilon) = 10 + \sqrt{p} + 10 \times n + o^2$$

$$f(p, n, o, \epsilon) = 10 + \sqrt{p} \times 10 \times n \times o^2$$

...

Extra-P 3.0: Fast multi-parameter performance modeling

Expanded performance model normal form

$$f(p) = \sum_{k=1}^n c_k \prod_{l=1}^m p_l^{i_{kl}} \times \log_2^{j_{kl}}(p_l)$$

$$\begin{array}{ll} n \models \mathbb{N} \\ m \models \mathbb{N} \\ i_{kl} \models I \\ j_{kl} \models J \\ I, J \models \mathbb{Q} \end{array}$$

$$\begin{array}{l} n = 2 \\ m = 2 \\ I = \left\{ \frac{0}{4}, \frac{1}{4}, \dots, \frac{12}{4} \right\} \\ J = \{0, 1, 2\} \end{array}$$

Model candidates	Constant	c_1
• Single parameter	$c_1 + c_2 \times p_1$	
• Multiple parameters	...	
• Additive	$c_1 + c_2 \times p_1 + c_3 \times p_2$	
• Multiplicative	$c_1 + c_2 \times p_1 \times p_2$	
• Complex	$c_1 + c_2 \times p_1 + c_3 \times p_1^2 \times p_2 \times \log_2(p_2)$	

Extra-P 3.0: Fast multi-parameter performance modeling

- **Hierarchical search** – Reduces search from all possible models to combinations of the best single parameter models of each parameter
- **Modified golden section search** – Orders single parameter search space and applies a modified binary search
- Assuming 300.000 models searched per second* – 3 parameter models

Exhaustive search

$$C(59.319, 3) = 34.786.300.841.019 \quad \textcolor{red}{\sim 3.5 \text{ years}/\text{model}}$$

Hierarchical search

$$3 \times 9.139 + 512 = 27.929 \quad \textcolor{orange}{\sim 11 \text{ models}/\text{second}}$$

Hierarchical search +
Modified golden section search

$$3 \times 26 + 512 = 590 \quad \textcolor{green}{\sim 508 \text{ models}/\text{second}}$$

*This is a simplification, multi-parameter models take much longer to be evaluated

Using Extra-P 2.0

Extra-P in the tuning workshop

- Installed in: /home/hpc/a2c06/lu23voj/...
- Run: source /home/hpc/a2c06/lu23voj/load-extrap
- Extra-P executables: extrap, extrap-print

Installing Extra-P

- Download and install Qt4 or Qt5
- Download and install Python3+ and PyQt5 (Extra-P 3.0 requires matplotlib)
- Download Extra-P: <http://www.scalasca.org/software/extra-p/download.html>
- Unpack & install Extra-P
- `./configure --prefix=<extra-p-install-dir> CPPFLAGS=-I<python.h path> PYTHON=<Python interpreter>; make; make install`

Automatic performance modeling with Extra-P

Myapp.cpp
main() {
 foo()
 bar()
 compute()
}

Input

Output

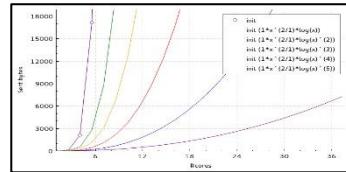
Instrumentation &
Measurement
Score-P

Performance measurements (profiles)

Myapp.weak.p128.r1/profile.cubex
Myapp.weak.p256.r1/profile.cubex
Myapp.weak.p512.r1/profile.cubex
Myapp.weak.p1024.r1/profile.cubex
Myapp.weak.p2048.r1/profile.cubex

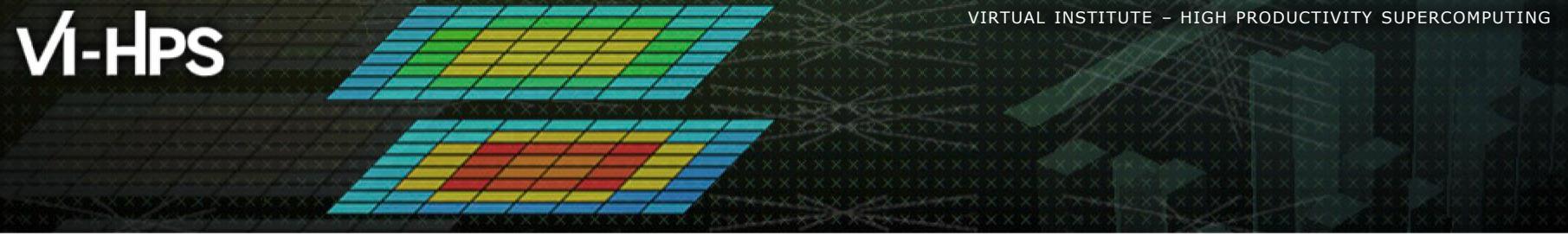
Extra-P

Results (visual)



Results (textual)

Region 1: main
Model: (3) + (3.14 * x^(2))
...



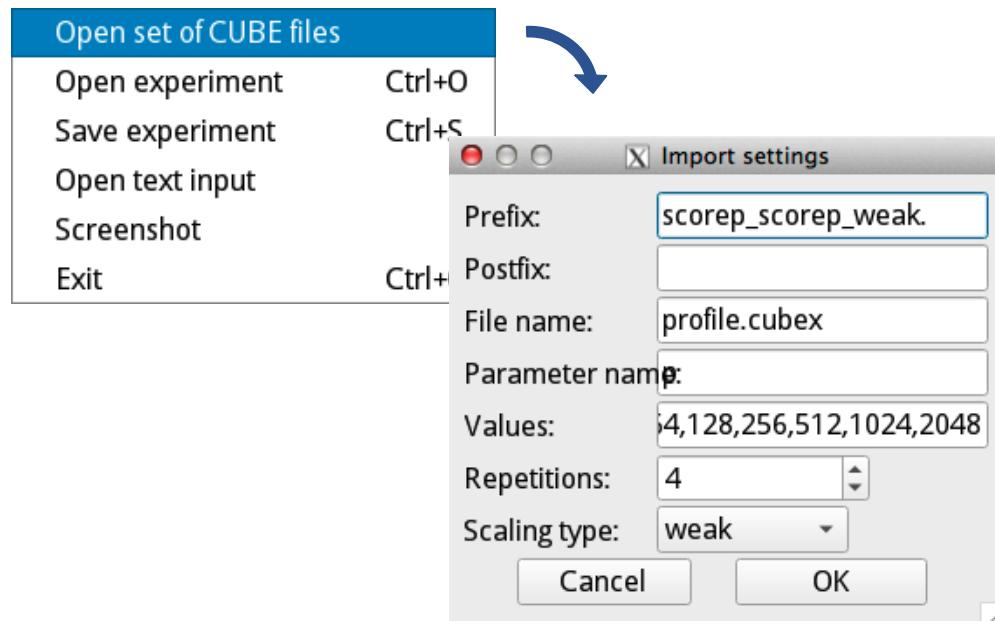
Modeling sets of Cube experiments

Extra-P Cube input description

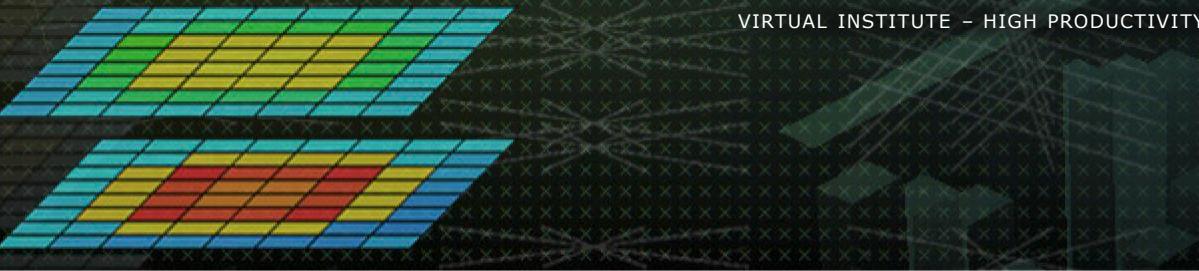
- Modeling tool expects Cube files in the following format:
`<DIR>/<PREFIX><X><POSTFIX>.r<{1,..,REPS}>/<FILENAME>`
- DIR, PREFIX, X, POSTFIX, REPS and FILENAME must all be defined.
 - X – value of varied parameter e.g. number of processes
 - REPS – number of repeated experiments with same parameter value

Extra-P Cube input description

<DIR>/<PREFIX><X><POSTFIX>.r<{1,..,REPS}>/<FILENAME>

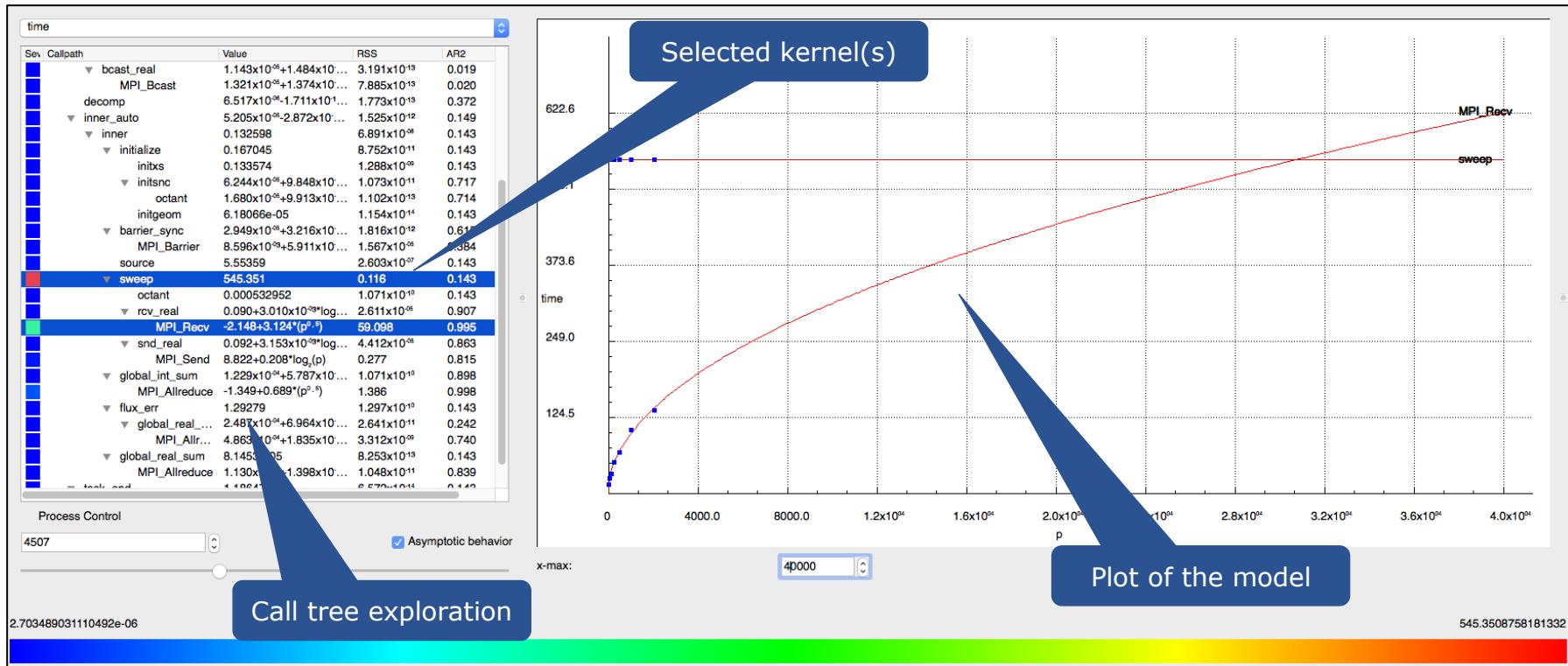


Best effort approach to identify and populate the fields automatically based on selected directory contents.



Visualization with Extra-P

Extra-P user interface



Extra-P call tree view

Metric selection

Call tree exploration

Model

Quality of fit metrics:
Residual sum of squares
and Adjusted R²

Asymptotic view of
model functions vs.
value at given value

Impact of each kernel on the metric
at the selected process count
compared to the other kernels

time

Seq	Calpath	Value	RSS	AR2
	MPI_Bcast	$1.321 \times 10^{-6} + 1.374 \times 10^{-13}$	7.885×10^{-13}	0.020
	decomp	$6.517 \times 10^{-6} - 1.711 \times 10^{11}$	1.773×10^{-13}	0.372
	inner_auto	$5.205 \times 10^{-6} - 2.872 \times 10^{-12}$	1.525×10^{-12}	0.149
	inner	0.132598	6.891×10^{-18}	0.143
	initialize	0.167045	8.752×10^{-11}	0.143
	initxs	0.133574	1.288×10^{-9}	0.143
	initnsnc	$6.244 \times 10^{-6} + 9.848 \times 10^{-11}$	1.073×10^{-11}	0.717
	octant	$1.680 \times 10^{-6} + 9.913 \times 10^{-13}$	1.102×10^{-13}	0.714
	initgeom	6.18066e-05	1.154×10^{-14}	0.143
	barrier_sync	$2.949 \times 10^{-6} + 3.216 \times 10^{-12}$	1.816×10^{-12}	0.615
	MPI_Barrier	$8.596 \times 10^{-3} + 5.911 \times 10^{-6}$	1.567×10^{-6}	0.384
	source	5.55359	2.603×10^{-7}	0.143
	sweep	545.351	0.116	0.143
	extent	0.000002352	1.071×10^{-10}	0.143
	rcv_real	$0.090 + 3.010 \times 10^{-23} \log(p)$	2.611×10^{-6}	0.907
	MPI_Recv	$-2.148 + 3.124 \cdot (p^{0.5})$	59.098	0.995
	snd_real	$0.092 + 3.153 \times 10^{-23} \log(p)$	4.412×10^{-6}	0.863
	MPI_Send	$8.822 + 0.208 \cdot \log_2(p)$	0.277	0.815
	global_int_sum	$1.229 \times 10^{-4} + 5.787 \times 10^{-10}$	1.071×10^{-10}	0.898
	MPI_Allreduce	$-1.349 + 0.689 \cdot (p^{0.5})$	1.386	0.998
	flux_err	1.29279	1.297×10^{-10}	0.143
	global_real_max	$2.487 \times 10^{-4} + 6.964 \times 10^{-11}$	2.641×10^{-11}	0.242
	MPI_Allreduce	$4.863 \times 10^{-4} + 1.835 \times 10^{-9}$	3.312×10^{-9}	0.740
	global_real_sum	8.1453e-05	8.253×10^{-13}	0.143
	MPI_Allreduce	$1.130 \times 10^{-4} + 1.398 \times 10^{-11}$	1.048×10^{-11}	0.839
	task_end	1.18647e-05	6.572×10^{-14}	0.143
	MPI_Finalize	$2.766 \times 10^{-3} + 1.99 \times 10^{-10}$	4.074×10^{-6}	0.143

Process Control

27421

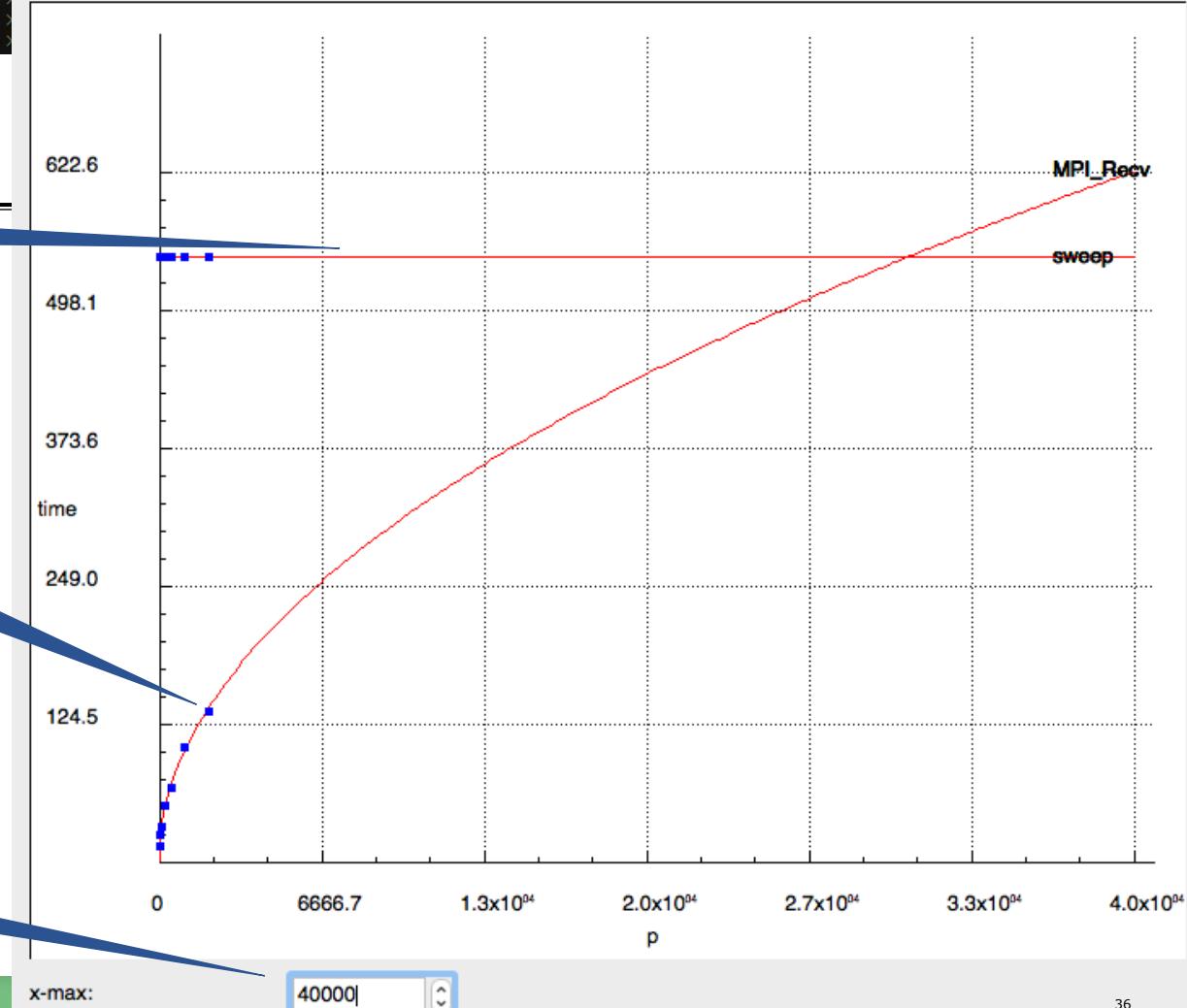
 Asymptotic behavior

Extra-P model view

Models selected in the Call path view

Measurement values

X axis scale control for prediction of behavior at other process counts



Modeling measurements from a text file

Choose input file

Open set of CUBE files

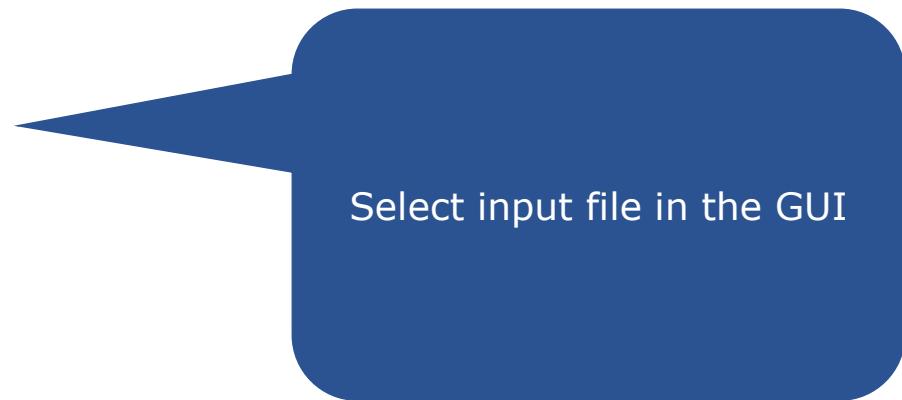
Open experiment Ctrl+O

Save experiment Ctrl+S

Open text input

Screenshot

Exit Ctrl+Q



Select input file in the GUI

Extra-P input in text form

- Useful when no CUBE files are available or when a small data set must be modeled
- Example provided in </home/hpc/a2c06/lu23voj/tutorial/experiment2.txt>

```
PARAMETER p ←  
POINTS 1000 2000 4000 8000 16000  
METRIC metric1  
REGION region1  
DATA 1 1 1 1 1  
DATA 4 4 4 3.99 4.01  
DATA 16 15.999 16.01 16.01 15.99  
DATA 64 64 64 64.01 63.99  
DATA 256.01 255.99 256 256
```

Parameter name
This name will be used in the GUI
as well as in the textual output

Extra-P input in text form

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```
PARAMETER p
POINTS 1000 2000 4000 8000 16000
METRIC metric1
REGION region1
DATA 1 1 1 1 1
DATA 4 4 4 3.99 4.01
DATA 16 15.999 16.01 16.01 15.99
DATA 64 64 64 64.01 63.99
DATA 256.01 255.99 256 256
```

Measurement points
Use at least 5, preferably 6,
but in general the more the better

Extra-P input in text form

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```
PARAMETER p
POINTS 1000 2000 4000 8000 16000
METRIC metric1
REGION region1
DATA 1 1 1 1 1
DATA 4 4 4 3.99 4.01
DATA 16 15.999 16.01 16.01 15.99
DATA 64 64 64 64.01 63.99
DATA 256.01 255.99 256 256
```

Metric name

Region name

Both used to determine the output
Cube file hierarchical structure and
identify separate data sets

Extra-P input in text form

- Useful when no CUBE files are available or when a small data set must be modeled
- Example provided in </home/hpc/a2c06/lu23voj/tutorial/experiment2.txt>

```
PARAMETER p
POINTS 1000 2000 4000 8000 16000
METRIC metric1
REGION region1
DATA 1 1 1 1 1 ←
DATA 4 4 4 3.99 4.01
DATA 16 15.999 16.01 16.01 15.99
DATA 64 64 64 64.01 63.99
DATA 256.01 255.99 256 256
```

Data points

Each row corresponds to a point;
all values in a row are considered
repeat measurements of the same
experiment

Extra-P input in text form

- Useful when no CUBE files are available or when a small data set must be modeled
- Example provided in </home/hpc/a2c06/lu23voj/tutorial/experiment2.txt>

```
PARAMETER p
POINTS 1000 2000 4000 8000 16000
METRIC metric1
REGION region1
DATA 1 1 1 1 1
DATA 4 4 4 3.99 4.01 ←
DATA 16 15.999 16.01 16.01 15.99
DATA 64 64 64 64.01 63.99
DATA 256.01 255.99 256 256
```

Data points

Each row corresponds to a point;
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Extra-P input in text form

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- Example provided in </home/hpc/a2c06/lu23voj/tutorial/experiment2.txt>

```
PARAMETER p
POINTS 1000 2000 4000 8000 16000
METRIC metric1
REGION region1
DATA 1 1 1 1 1
DATA 4 4 4 3.99 4.01
DATA 16 15.999 16.01 16.01 15.99
DATA 64 64 64 64.01 63.99
DATA 256.01 255.99 256 256
```

Data points

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Extra-P input in text form

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```
PARAMETER p
POINTS 1000 2000 4000 8000 16000
METRIC metric1
REGION region1
DATA 1 1 1 1 1
DATA 4 4 4 3.99 4.01
DATA 16 15.999 16.01 16.01 15.99
DATA 64 64 64 64.01 63.99
DATA 256.01 255.99 256 256
```

Data points

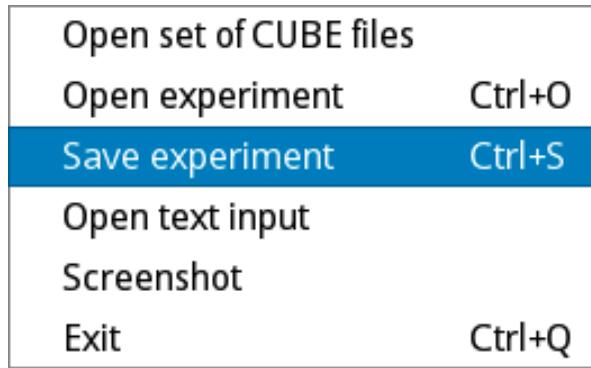
Each row corresponds to a point;
all values in a row are considered
repeat measurements of the same
experiment



Results in text form

Produce text output

- Step 1: Save results



Save the experiment currently open in Extra-P to an output file

- Step 2: Run `extrap-print <Extra-P experiment file>`

Text output format

Measurements and model data for each experiment and metric:

Callpath: driver->inner_auto->inner->sweep
Metric: max_time

Metric name; either Score-P metrics (time, bytes, etc.) or custom metrics

Data:
(32, 47.4735) 95% CI [0, 0]
(64, 48.2489) 95% CI [0, 0]
(128, 48.9725) 95% CI [0, 0]
(256, 50.53) 95% CI [0, 0]
(512, 51.8811) 95% CI [0, 0]

Measurements for each input element (e.g., #processes)

Model:
 $46.1285 + 0.261952 * (p^{0.5})$
RSS: 0.419493
Adjusted R²: 0.994

Best-fit model

RSS: Residual sum of squares

Adjusted R² (explained previously)

Hands-on exercises

Extra-P exercises

- Run: extrap
- Examples: /home/hpc/a2c06/lu23voj/tutorial/{blast,sweep3D}
- Open the examples in the GUI
- Open the textual input example
- Produce textual output and inspect it

Feedback

- What additional features would you like to see?
- What additional capabilities would you like to see?